Uninformed Individuals Promote Democratic Consensus in Animal Groups

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Conflicting interests among group members are common when making collective decisions, yet failure to achieve consensus can be costly. Under these circumstances individuals may be susceptible to manipulation by a strongly opinionated, or extremist, minority. It has previously been argued, for humans and animals, that social groups containing individuals who are uninformed, or exhibit weak preferences, are particularly vulnerable to such manipulative agents. Here, we use theory and experiment to demonstrate that, for a wide range of conditions, a strongly opinionated minority can dictate group choice, but the presence of uninformed individuals spontaneously inhibits this process, returning control to the numerical majority. Our results emphasize the role of uninformed individuals in achieving democratic consensus amid internal group conflict and informational constraints.

Social organisms must often achieve a consensus to obtain the benefits of group living and to avoid the costs of indecision (1–12). In some societies, notably those of eusocial insects, making consensus decisions is often a unitary, conflict-free process because the close relatedness among individuals means that they typically share preferences (11). However, in other social animals, such as schooling fish, flocking birds, herding ungulates, and humans, individual group members may be of low relatedness; thus, self-interest can play an important role in group decisions. Reaching a consensus decision, therefore, frequently depends on individuals resolving complex conflicts of interest (1–11, 13, 14).

There are several means of achieving group consensus. In some cases, decisions made by one or only a small proportion of the group dictate the behavior of the entire group (4–6, 13, 14). Therefore, a minority, or even a single individual, has the potential to control or exploit the majority, achieving substantial gains at the expense of other group members (1–6, 9, 10, 14). In contrast, consensus can also be reached through democratic means, with fair representation and an outcome determined by a plurality. Democratic decisions tend to be more moderate, minimizing group consensus costs, particularly in large animal groups (3). However, in the absence of established procedures such as voting (8), it is unclear how equal representation is enforced.

Consequently, for both human societies (1, 2, 6, 9, 10, 14) and group-living animals (6, 13), it has been argued that group decisions can be subject to manipulation by a self-interested and opinionated minority. In particular, previous work suggests that groups containing individuals who are uninformed, or naïve, about the decision being made are particularly vulnerable to such manipulation (2, 9, 10, 13). Under this view, uninformed individuals destabilize the capacity for collective intelligence in groups (10, 14), with poorly informed individuals potentially facilitating the establishment of extremist opinions in populations (9, 14).

Here, we address the question of whether and, if so, under which conditions a self-interested and strongly opinionated minority can exert its influence on group movement decisions. We show

that uninformed individuals (defined as those who lack a preference or are uninformed about the features on which the collective decision is being made) play a central role in achieving democratic consensus.

We use a spatially explicit computational model of animal groups (15) that makes minimal assumptions regarding the capabilities of individual group members; they are assumed to avoid collisions with others and otherwise exhibit the capacity to be attracted toward, and to align direction of travel with, near neighbors (5, 16). We investigate the case of consensus decision-making regarding a choice to move to one of two discrete targets in space (thus, the options are mutually exclusive).

The direction and strength of an individual's preference are encoded in a vector term $\vec{\omega}$ (directed toward the individual's preferred target). Higher scalar values of ω (equivalent to the length of the $\vec{\omega}$ vector, $\omega \equiv |\vec{\omega}|$) represent a greater conviction in, or strength of, individual preference to move in the direction of the target and, thus, also represent greater intransigence to social influence (5). We explore the case where there are two subpopulations within the group—N_1 and N_2, respectively—that have different preferred targets. Because we are interested in determining whether a minority can exploit a majority, we set $N_1 > N_2$ for the simulation. The strengths of the preference of the numerical majority and minority are represented by their respective ω values, ω_1 and ω_2. See (15) for details.

If the strength of the majority preference (ω_1) is equal to or stronger than the minority preference (ω_2), the group has a high probability of reaching the majority-preferred target (Fig. 1A) (5). Yet increasing ω_2 (beyond ω_1) can result

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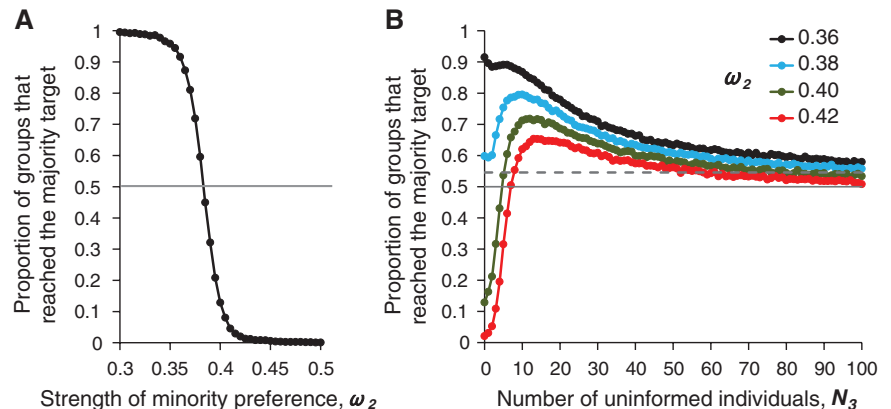
Fig. 1. Spatial simulation of consensus decision-making in which individuals' preferred direction, weighted by their respective ω (see main text), is directed toward their preferred target. (**A**) $\omega_1 = 0.3$. All individuals are informed with majority $N_1 = 6$ and minority $N_2 = 5$. As the minority increases its preference strength, ω_2, it increasingly controls group motion. (**B**) In the presence of sufficient uninformed individuals, the minority can no longer exploit the majority by increasing ω_2 (see fig. S2 for other values of N_1 and N_2). The ratio of the majority to all informed, $N_1/(N_1 + N_2)$, is shown as a horizontal gray dashed line. The proportion reaching the majority target is calculated as the number of times (from 20,000 replicates) the majority-preferred target is reached divided by the number of times a (minority or majority) target was reached (i.e., only consensus decisions were evaluated; splitting was infrequent; see fig. S5). $\omega_1 = 0.3$. See (15) for details.

Fig. 2. The adaptive-network model (*17, 21–23*) provides an analytically tractable analog to the spatially explicit model. (**A**) Network simulations show qualitative agreement with the spatial model. (**B**) An analytical approximation of the model reveals the dynamical cause of this transition. For low densities of uninformed individuals, the minority-controlled state (red line) is the only stable attractor. As the proportion of uninformed individuals increases, the system undergoes a saddle-node bifurcation resulting in a stable majority-controlled state (solid black line) and an unstable undecided state (dashed

black line). Simulations (blue circles) closely match analytical approximations. (**C**) In this phase diagram, we see the outcome of opinion formation as a function of the ratio of the majority to minority subpopulation (N_1/N_2) and the relative strength of the minority preference (equivalent to ω_2/ω_1) measured in terms of the ratio of switching rates [see (*15*) for details]. The white region of the phase
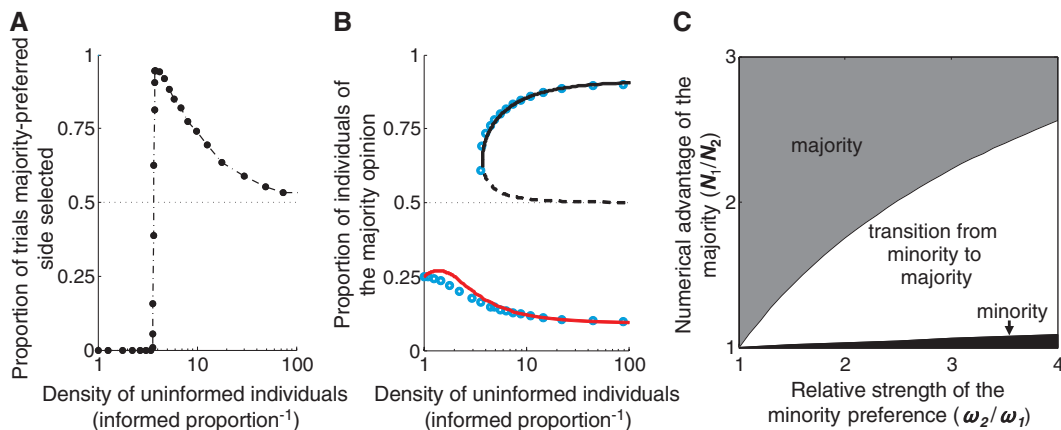
diagram represents the region in which this saddle-node bifurcation results in a transition from minority to majority control when sufficient uninformed individuals are present. The regions denoted "majority" and "minority" represent parameter space where the N_1 or N_2 preferences, respectively, are adopted regardless of the number of uninformed individuals ($N_3 \in [0,\infty)$).

in the minority gaining control and eventually dictating group outcome (Fig. 1A and fig. S1). If some individuals do not have relevant prior information or are only weakly biased, however, as is likely in many animal groups (*5, 6, 13*), then groups can be considered to have a third subpopulation of N_3 individuals with $\omega_3 \approx 0$. Now when ω_2 is in the range where the minority dictates the group outcome for $N_3 = 0$, adding uninformed individuals tends to return control spontaneously to the numerical majority (Fig. 1B) ($\omega_2 = 0.4, 0.42$). As N_3 increases, this effect reaches a maximum and then begins to slowly diminish. Eventually, noise dominates and uninformed individuals neither amplify a weak numerical majority nor lend substantial support to the minority.

To determine whether these results can be generalized, we develop reduced, analytically tractable versions of the above model. The first, modified from (*17*), represents individuals as nodes on a network with interindividual communication represented by a dynamically changing edge topology. A second (increasingly minimalist) approach considers a convention game of self-reinforcing normative opinion dynamics (*18*). These simplified models are nonspatial and consider discrete (binary) opinions, yet incorporate key features of the spatial model: (i) Individuals adopt, probabilistically, the opinion they perceive to be that of the local majority (this results in positive feedback reinforcing the predominant opinion and, consequently, rapid nonlinear transitions from disordered to ordered consensus states). (ii) The strength of individual preference manifests as intransigence during interactions with others.

These models capture the same qualitative collective features as the spatial model (*15*). Figure 2A shows the presence of a sharp transition from a minority- to majority-controlled outcome in the network model as the density of

Fig. 3. Experiments with schooling fish demonstrate support for our hypothesis. (**A**) When the minority ($N_2 = 5$) are trained to the intrinsically preferred (yellow) target, inclusion of untrained individuals returns control from a dominating minority to the numerical majority (18 replicates per data point). (Inset) A golden shiner is shown. (**B**) Image from an experimental video with $N_1 = 6$, $N_2 = 5$, and $N_3 = 10$. See fig. S3 and (*15*) for further details.
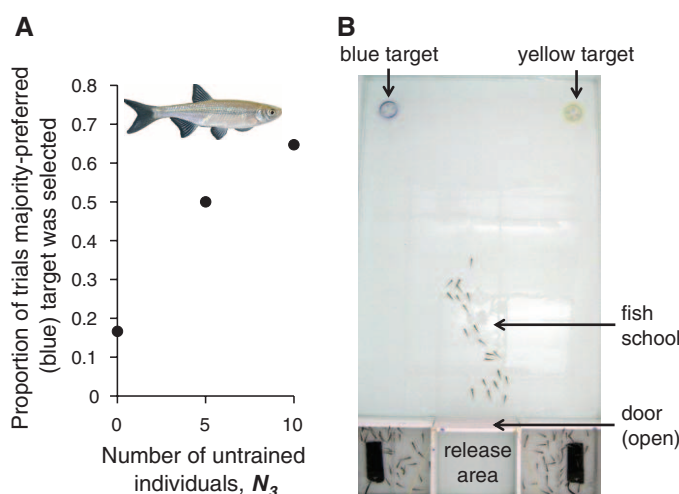
uninformed individuals is increased. Analysis reveals the dynamical nature of this transition (Fig. 2B) (*15*), as well as the large region of parameter space in which a minority-preferred outcome switches to a majority-preferred outcome if sufficient uninformed individuals are present (white region in Fig. 2C).

In all models, an entrenched minority is capable of exerting substantial influence by biasing the perceived consensus. Because they exhibit little intransigence or intrinsic bias, however, uninformed individuals will lend support to, and tend to amplify, a numerical advantage (even a slight one). If sufficiently numerous, they reduce the effect of intransigence and inhibit the capacity for the minority to take hold, thus returning control to the numerical majority. Consequently, even a small change in the number of uninformed individuals can dramatically alter the outcome of consensus decisions (Figs. 1B and 2A and figs. S7A and S8) (*15*). We emphasize that this process will tend to inhibit any strong minority

preference, regardless of the intrinsic quality or value of that view. We conjecture that this phenomenon may be found in seemingly disparate systems that share those common features outlined above (*15*).

Our theoretical studies make a primary testable prediction: Uninformed individuals should inhibit the influence of a strongly opinionated minority, returning control to the numerical majority. To test this prediction, we conducted experiments with golden shiners (*Notemigonus crysoleucas*) (Fig. 3A, inset), a strongly schooling species of freshwater fish (*19*). We trained two subpopulations of individuals (representing either N_1 or N_2) to have preferences to move from a starting location toward either a blue target or a yellow target (Fig. 3B and figs. S3 and S4) (*15*). Under our experimental conditions, shiners exhibited a spontaneous preexisting bias toward the yellow target (*15, 20*), evident in both training (figs. S10 and S11) and testing (see results, below). Consequently, we did not need to

employ different training regimes to create a difference in the strength of preference between our two trained subpopulations (15). A third (N_3) subpopulation was left untrained.

Because our theoretical predictions do not depend on the absolute number of N_1 individuals (fig. S2), and due to the time-consuming nature of training and constraints related to obtaining enough fish for replication, we set $N_1 = 6$ and $N_2 = 5$ fish (as in Fig. 1). Our simulations also predict a large effect for a relatively small number of naïve individuals (Fig. 1B); thus, we set $N_3 = 0$, 5, or 10. When N_2 fish are trained to the yellow (biased) target and all individuals exhibit a preference ($N_3 = 0$), the minority N_2 dictates the consensus achieved, even though the fish trained to the blue target are more numerous. However, when untrained individuals are present, they increasingly return control to the numerical majority N_1 (Fig. 3A) [generalized linear model (GLM); likelihood ratio test (LRT)$_{1,52} = 5.60$, $P = 0.018$]. A snapshot from a trial is shown in Fig. 3B. We also performed experiments in which individuals with the stronger preference were also in the numerical majority (N_1 trained to the yellow target). As expected (15), the majority was more likely to win (72% of trials overall), and the presence of uninformed individuals had no effect (12, 16, and 11 of 18 replicates for $N_3 = 0$, 5, and 10, respectively; GLM; LRT$_{1,52} = 0.14$, $P = 0.71$).

Our work provides evidence that uninformed individuals play an important role in consensus decision-making: By enforcing equal representation of preferences in a group, they promote a democratic outcome. This provides a new understanding of how informational status influences consensus decisions and why consensus decision-making may be so widespread in nature (4). Furthermore, these results suggest a principle that may extend to self-organized decisions among human agents.

References and Notes

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